



\* Natural asymmetry in decay rates of the

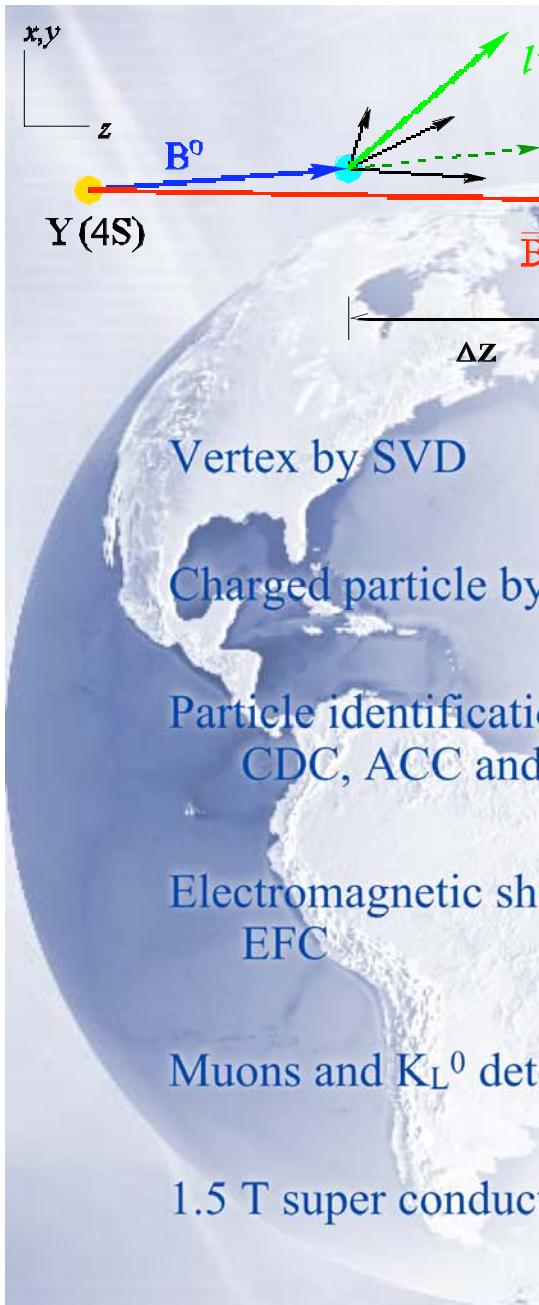
neutral charmed meson  $D^0$  in its final states of

$K_{long}\pi^0$  and  $K_{short}\pi^0$

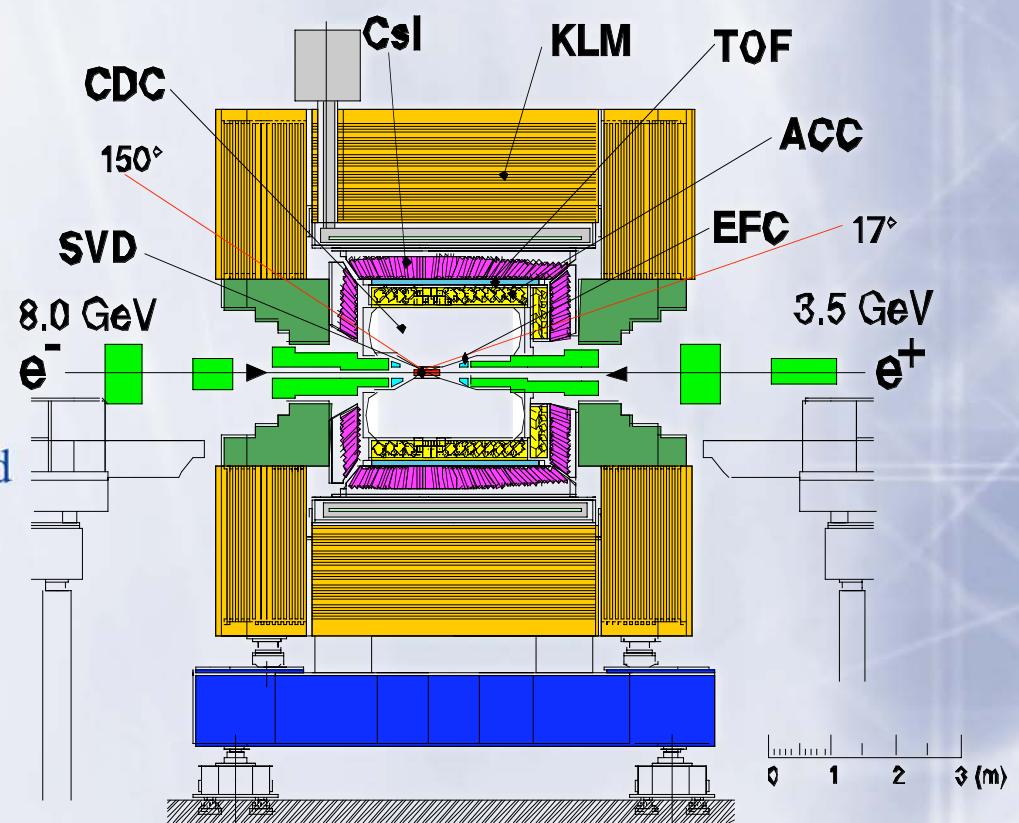
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Graduate Seminar, Virginia Tech

Thursday, November 16th, 2007

\*Measurement carried out at  
B Meson factory, KEK Lab, Japan



# The Belle Detector



# Asymmetry in decays of $D^0$ meson

$D^0$  decays occur through  $\bar{K}^0\pi^0$  (CF mode) and  $K^0\pi^0$  (DCS mode)

The interference in Cabibbo favored and doubly suppressed modes point towards an asymmetry present in the following decay modes of  $D^0$  represented by their decay widths

$$\Gamma_{D^0 \rightarrow K_S \pi^0} = \frac{1}{2}\Gamma_{CF} - (\sqrt{\Gamma_{CF}\Gamma_{DCS}}) \cos(\delta_{CF} - \delta_{DCS}) + \frac{1}{2}\Gamma_{DCS}$$

$$\Gamma_{D^0 \rightarrow K_L \pi^0} = \frac{1}{2}\Gamma_{CF} + (\sqrt{\Gamma_{CF}\Gamma_{DCS}}) \cos(\delta_{CF} - \delta_{DCS}) + \frac{1}{2}\Gamma_{DCS}$$

$$A = \frac{(\Gamma_{D^0 \rightarrow K_S \pi^0}) - (\Gamma_{D^0 \rightarrow K_L \pi^0})}{(\Gamma_{D^0 \rightarrow K_S \pi^0}) + (\Gamma_{D^0 \rightarrow K_L \pi^0})} \simeq -2\sqrt{\frac{\Gamma_{DCS}}{\Gamma_{CF}}} \cos(\delta_{CF} - \delta_{DCS}) \simeq \tan^2 \theta_c \simeq 5\%$$

# Measurement of the asymmetry

*Collision*

$$e^+e^- \rightarrow c\bar{c} \rightarrow DD$$

*Asymmetry*

$$D^0 \rightarrow \bar{K}^0 [K_S^0] \pi^0$$

$$D^0 \rightarrow \bar{K}^0 [K_L^0] \pi^0$$

*Detector*

*Effect*

$$D^0 \rightarrow K^{*-} [K_S^0 \pi^-] \pi^+$$

$$D^0 \rightarrow K^{*-} [K_L^0 \pi^-] \pi^+$$

*Signal*

*Tagging*

$$D^{*+} \rightarrow D^0 \pi^+$$

This asymmetry can be measured at the Belle Detector although it poses several difficult issues as we will discuss later. The decay modes mentioned here and their charge conjugate counterparts are both included in the measurement.

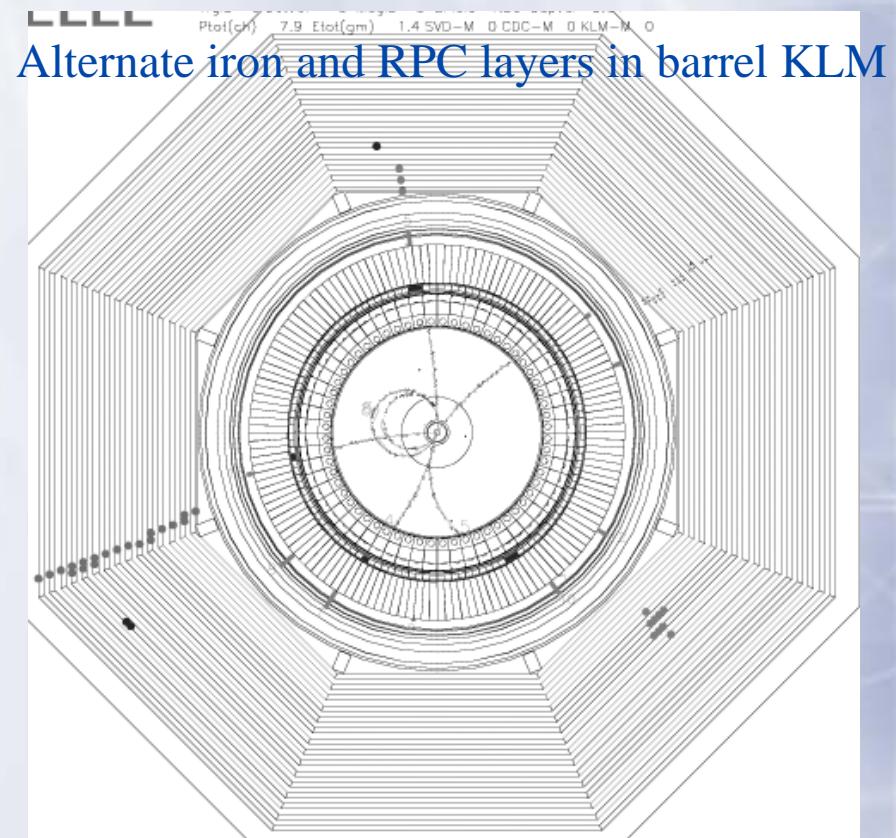
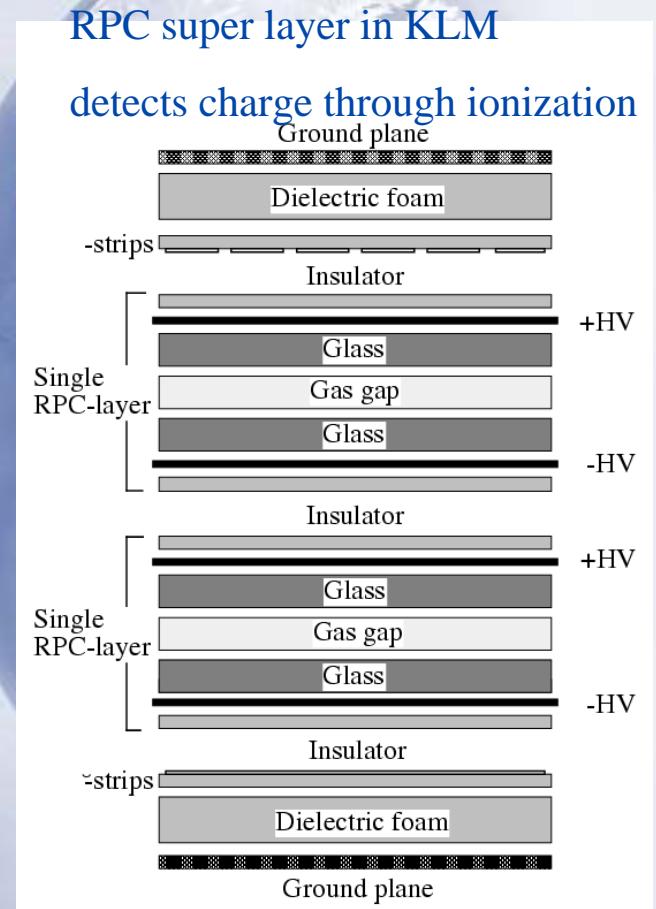
Any asymmetry as a result of bias coming from Detector is calibrated from decay modes where  $K_{L/S}$  comes from the  $K^*$  so that these are produced at equal rates, as any asymmetry in these modes are a result of reconstruction. CP asymmetry is negligible.

The signal is recognized in terms of "D\* mass" or "D\* and D<sup>0</sup> mass difference"

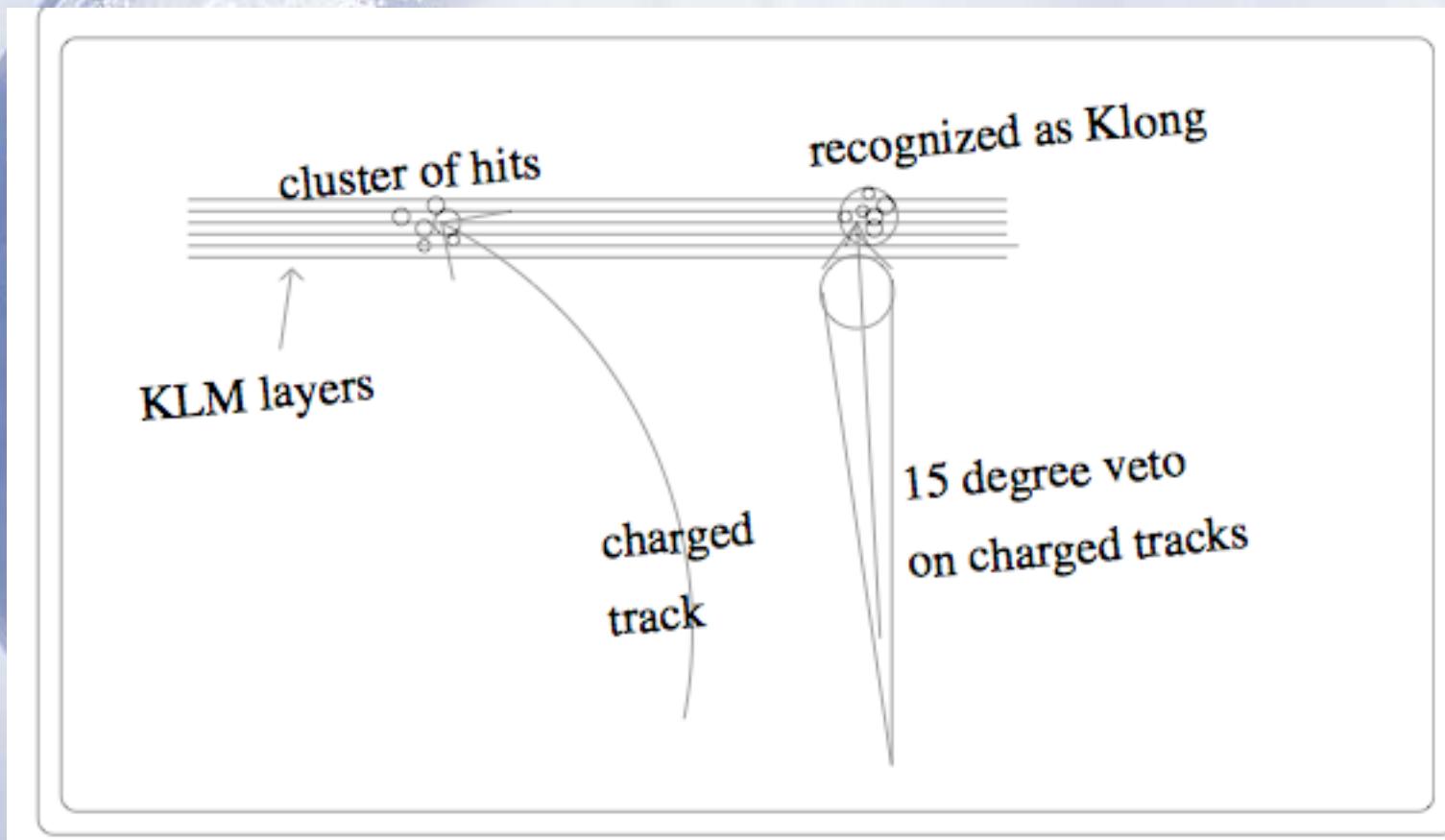
# *Issues with measurement.*

1. Measurement unique, never performed. Important Physics.
2.  $K_L$  is not identified completely, only its direction is.
3.  $K_S$  Vs  $K_L$ , daunting problem.  $K_S$  cleaner and more precise.
4.  $K_L$  less efficiently reconstructed, efficiency low at low momentum
5. 3-body modes have different kinematics from 2-body modes

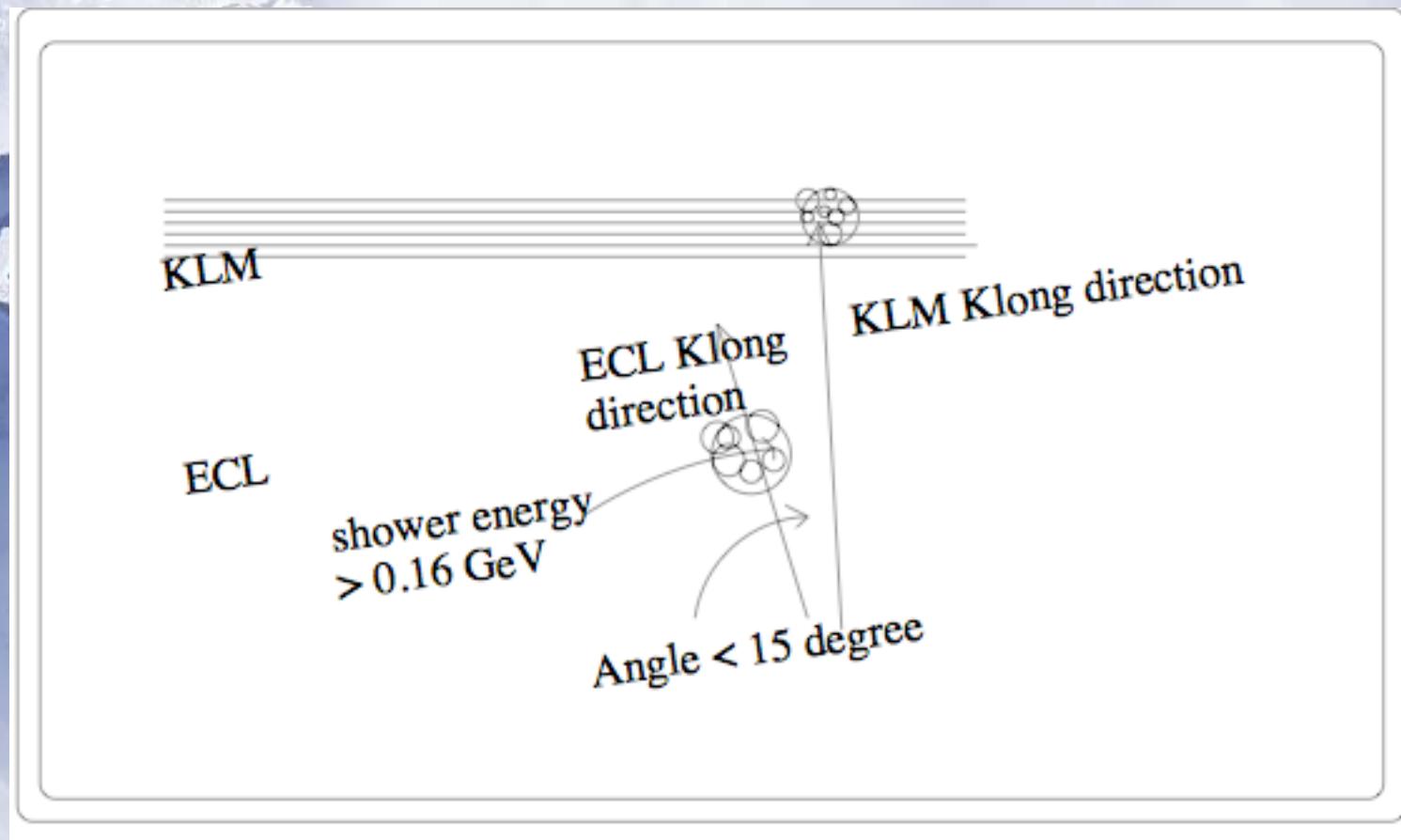
# $K_L$ and $\mu$ [muon] detector



# $K_L$ Detection



# Improved $K_L$ Detection



# $K_L$ Reconstruction

$X$ , fully reconstructed



$\Rightarrow$  Klong

Dzero Unknown has  
two solutions

With Dzero's mass constrained

Direction available

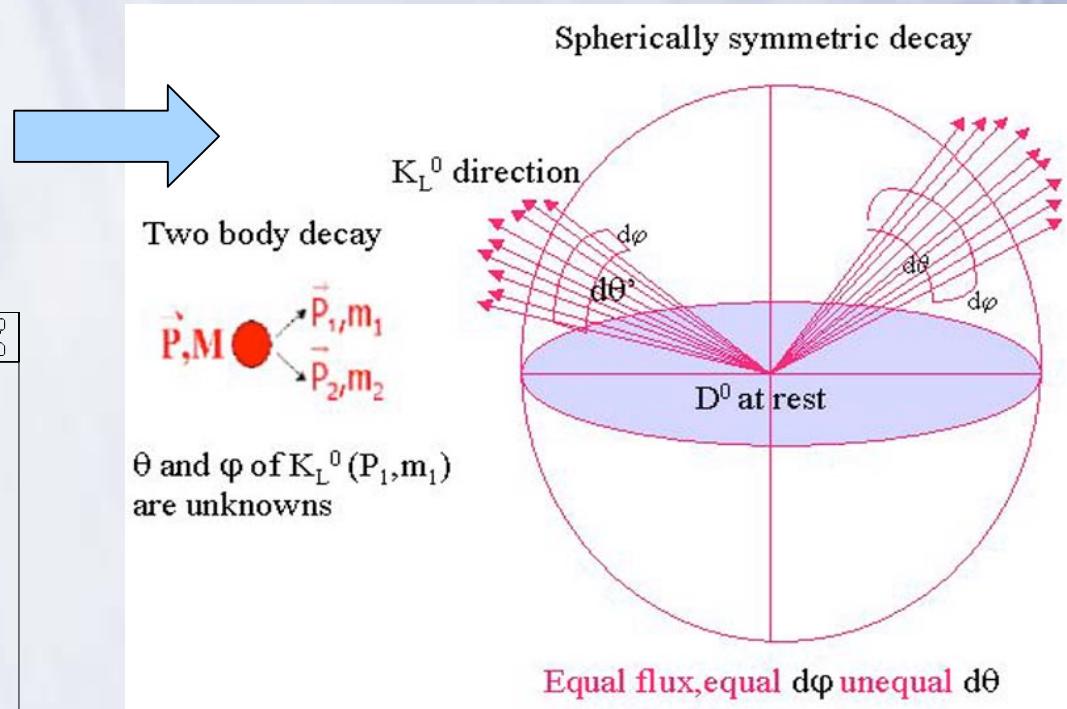
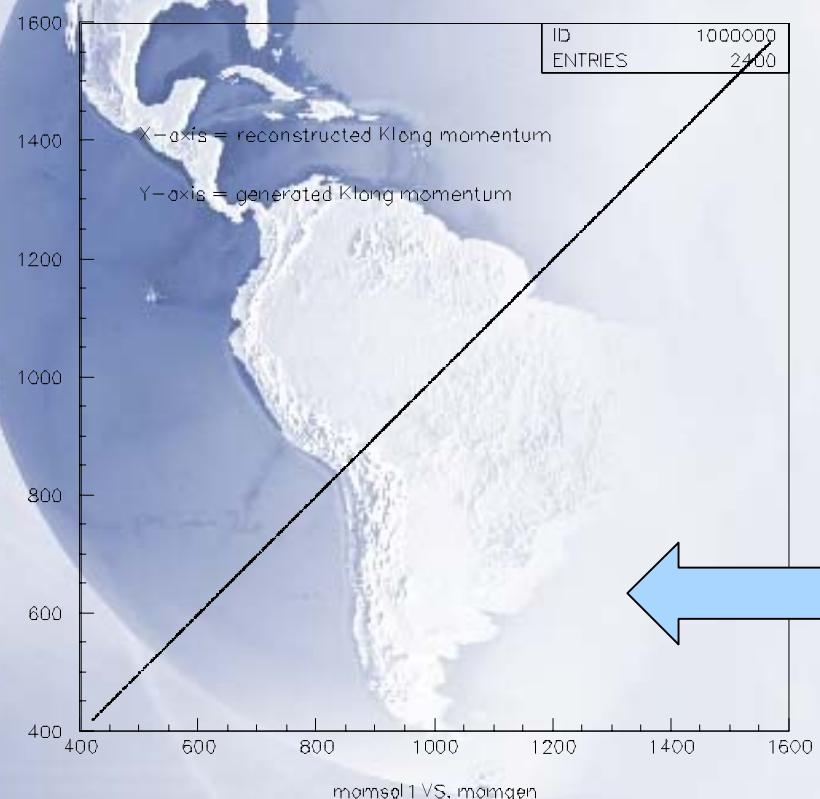
3-momentum magnitude  
unknown

Klong information from detector

$$A \rightarrow BC \quad \& \quad P_A^4 = P_B^4 + P_C^4 \quad E^2 = \vec{p}^2 c^2 + (mc^2)^2$$

A simple toy Monte Carlo study of  $D^0 \rightarrow K_L^0 \pi^0$  is done to see how well  $D^0$  mass constraint works

A signal is generated for the decay by simulating  $\theta$  and  $\varphi$  with random numbers



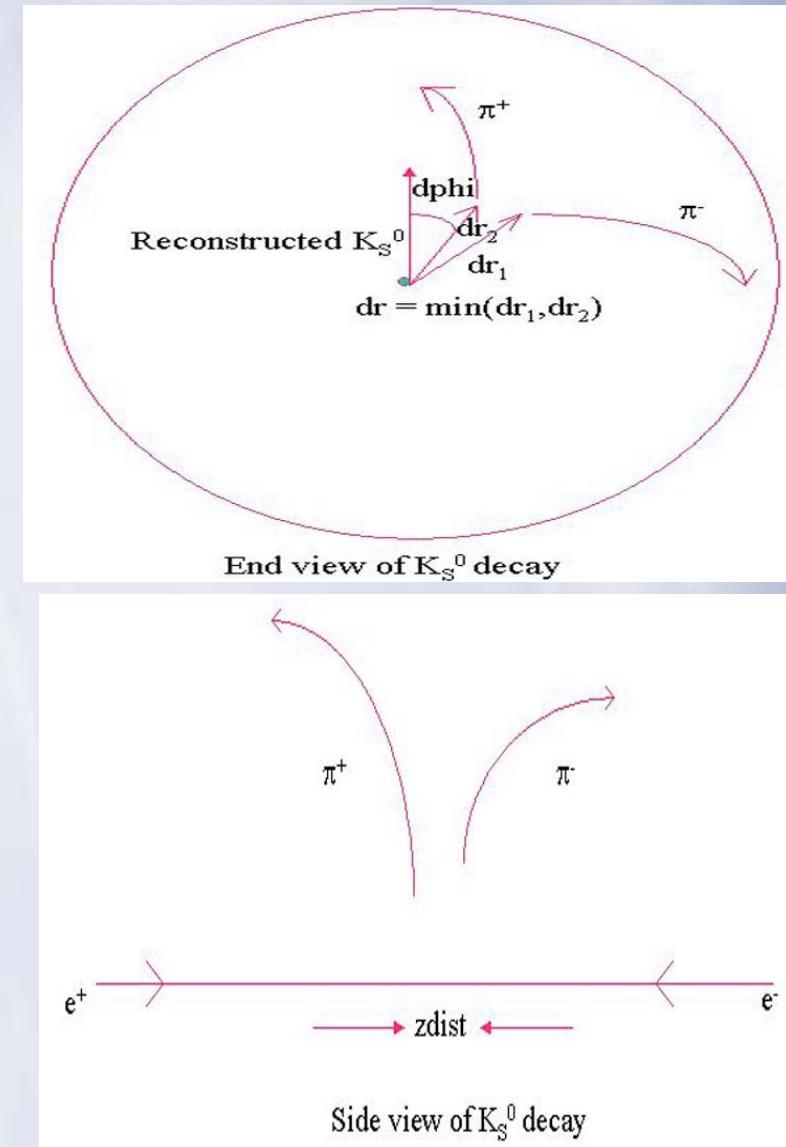
Reconstructed momentum for  $K_L^0$  match exactly with what was generated

# Reconstruction of $K_S^0$ , shown in Monte Carlo

Track cuts shown in picture have been applied  $z\text{dist} < 1$ ,  $dr > 0.25$ ,  $d\phi < 0.1$

Following invariant mass cuts have been applied 20 MeV on  $K_S^0$ , 150 MeV on  $K^{*-}$ , 60 MeV on  $D^0$  and  $D^{*+}$

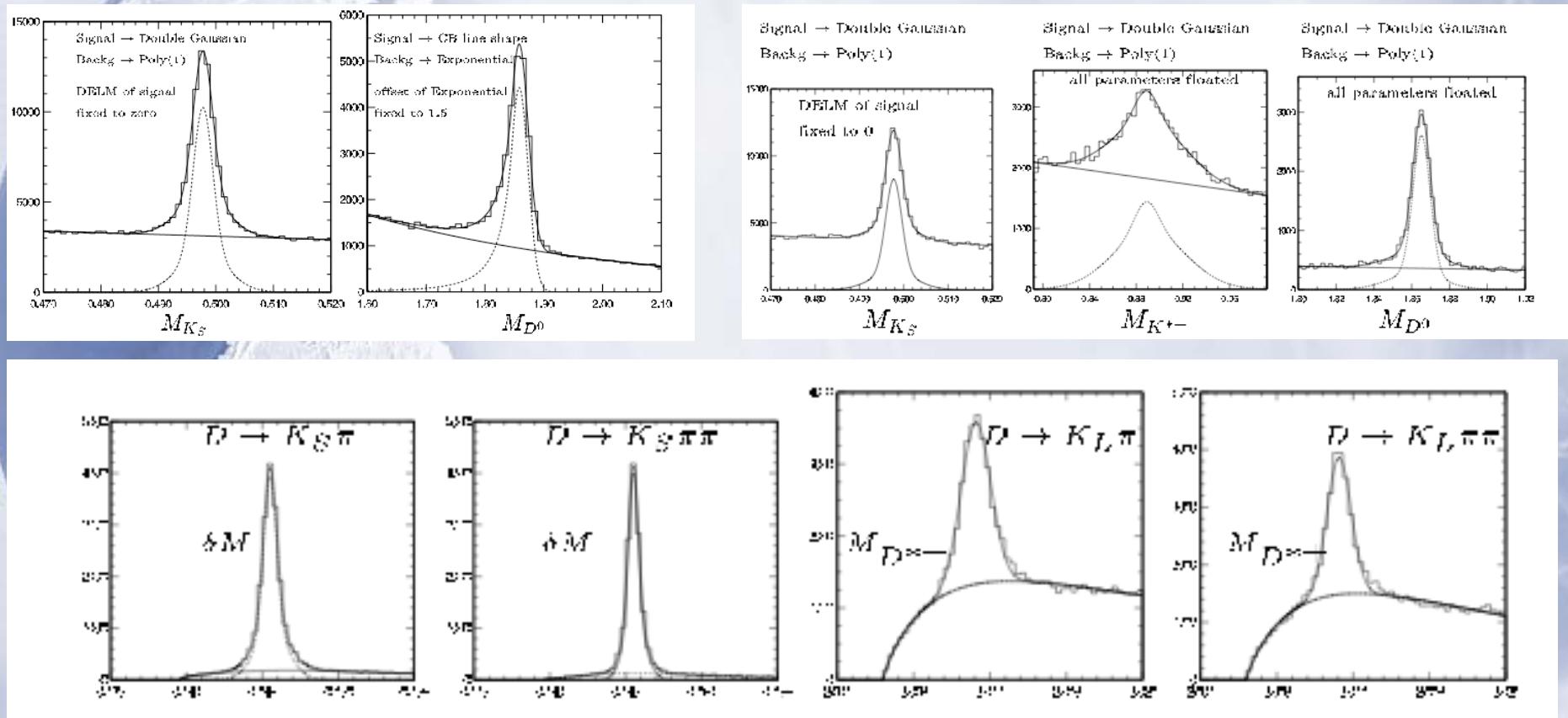
A  $K_S^0$  reconstructed by  $D^0$  mass constraint and whose direction distribution is smeared to match  $K_L^0$  resolution is called a pseudo  $K_L^0$



Direction resolution for  $K_L^0$  and  $K_S^0$  was studied in Monte Carlo where only signal was present

	$\sigma_\theta$	$\sigma_\varphi$	REMARK
$K_S^0$	0.002	0.002	
$K_L^0$	0.016	0.018	$K_S^0$ resolution is $\sim 10$ times better than $K_L^0$ resolution
$KLM$ $K_L^0$	0.022	0.028	
$ECL$ $K_L^0$	0.012	0.014	$ECL K_L^0$ resolution is better than $KLM$ $K_L^0$ resolution

# Monte Carlo simulation



# *The state of the Science situation*

Physics Letters B 505(2001)94-106

- comes from interference in CF and DCS modes of D0 decay, expected up to 5%.
- constrains the strong phase in  $K^+ \pi^-$ ,  $K^- \pi^+$

hep-ex/0107078, July 2001

- can be calibrated against  $D^0 \rightarrow (\bar{K}^0 \pi^-)_{K^*} \pi^+$
- measured at belle,  $0.06 \pm 0.05 \pm 0.05$

hep-ex/0607068, July 2006

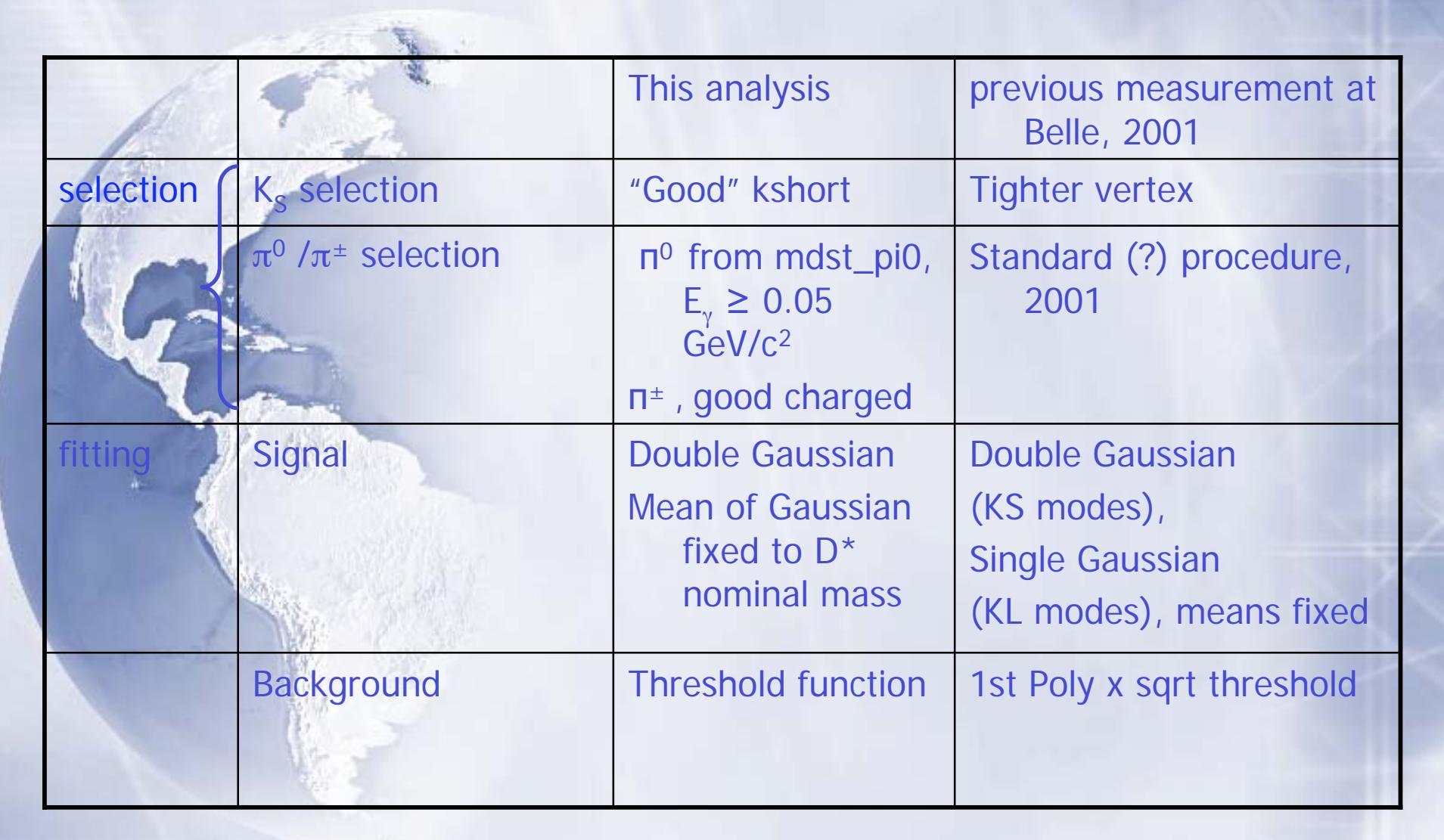
- measurement at cleo  $0.122 \pm 0.024 \pm 0.030$

# Reconstruction and Event selection

- $\pi^0$  from mdst\_pi0,  $E_\gamma \geq 0.05 \text{ GeV}/c^2$
- $\pi^\pm$ , good charged
- $K_S$ , good Kshort
- $K_L$ , mdst\_klong,  $D^0 \rightarrow K_L \pi^0$  and  $D^0 \rightarrow (K_L \pi^\pm)_K \pi^\mp$  assumed
- $K^{*\pm}$  within 50 MeV of nominal mass
- $D^0$  within 100 MeV of nominal mass (for  $K_S$  modes only)
- $D^{*\pm}$  tags the signal,  $M_{D^{*\pm}} \leq 2.03 \text{ GeV}$
- $\delta M = D^{*\pm}$  and  $D^0$  mass difference  $\delta M + 1.8645 \leq 2.03 \text{ GeV}$  (for  $K_S$  modes only)

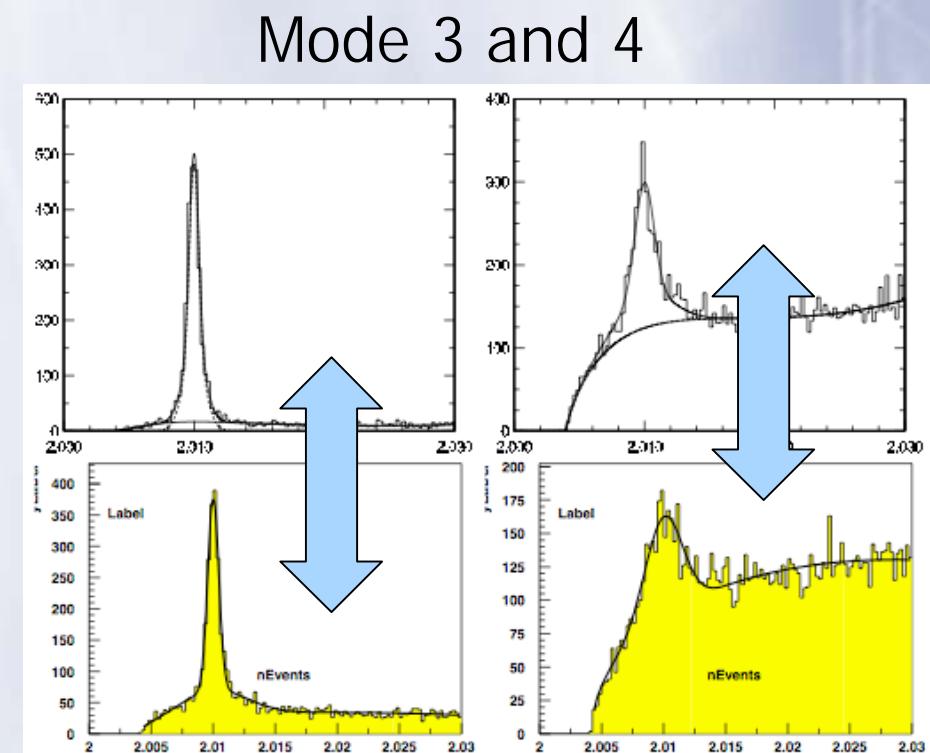
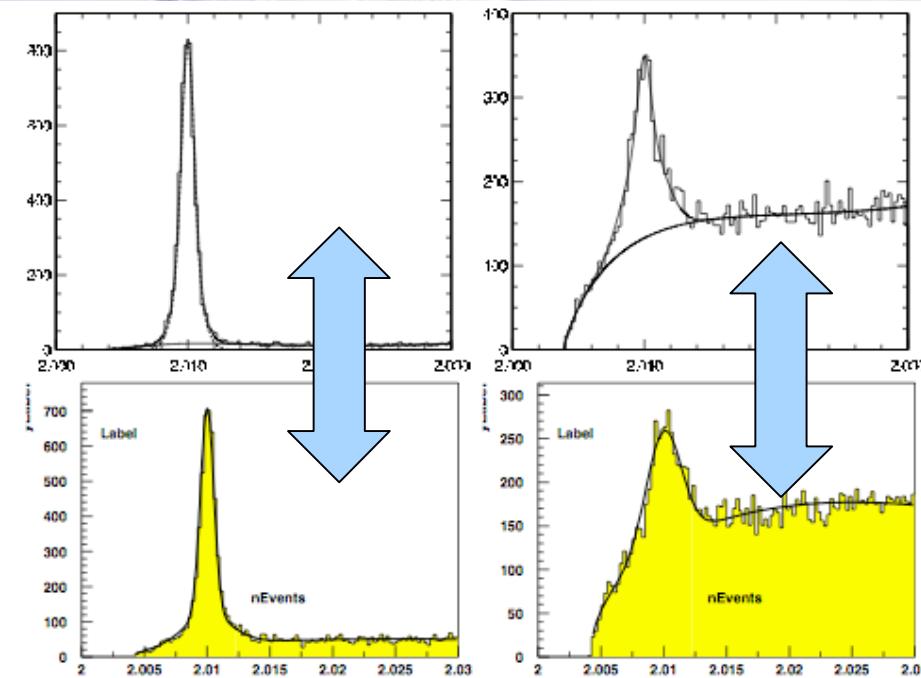
- A  $K_L$  with ECL cluster energy in 0.15 to 0.3 GeV range (corresponding to minimum ionization energy) rejected
- $K^0$  flight angle wrt  $D^0$  boost ( $\theta_{DK}$ ),  $-0.95 \leq \cos(\theta_{DK}) \leq 0.2$  for all modes
- Invariant mass of  $(\pi^+ \pi^-) \leq 0.7 \text{ GeV}$
- Reconstructed scaled momentum of  $D^*$ ,  $0.6 \leq x_p \leq 1.0$

# Some differences in procedure

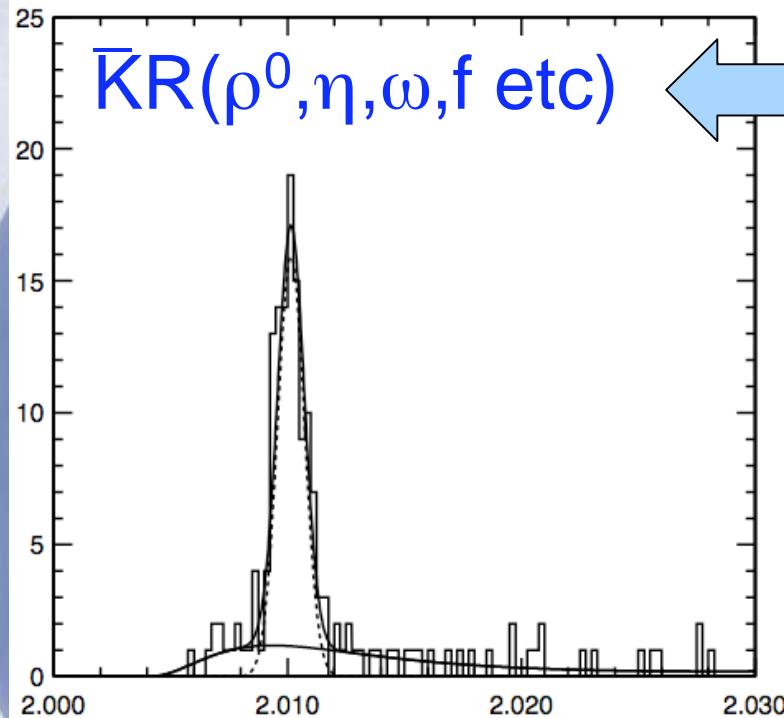


		This analysis	previous measurement at Belle, 2001
selection	$K_S$ selection	"Good" kshort	Tighter vertex
	$\pi^0 / \pi^\pm$ selection	$\pi^0$ from mdst_pi0, $E_\gamma \geq 0.05$ $\text{GeV}/c^2$ $\pi^\pm$ , good charged	Standard (?) procedure, 2001
fitting	Signal	Double Gaussian Mean of Gaussian fixed to $D^*$ nominal mass	Double Gaussian (KS modes), Single Gaussian (KL modes), means fixed
	Background	Threshold function	1st Poly x sqrt threshold

# *Qualitative comparison with previous study, same amount of data*



## *Detailed, extensive study in Monte Carlo*



The only peaking background that affect the modes where asymmetry is measured. Yield is so small it doesn't affect much.

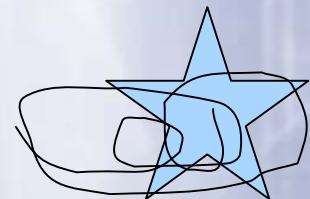
The calibration modes suffer from various issues in peaking backgrounds, one shown here.





## *Future efforts*

1. Upgrade of data size, consistent calculations, writing of technical notes and completion of thesis, thesis defense.
2. “Acceptance of God”
3. Buying a car, house
4. Find a job (oops !!)



# *Hardworking people are happy people*



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16th, 2007

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